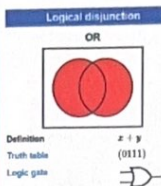


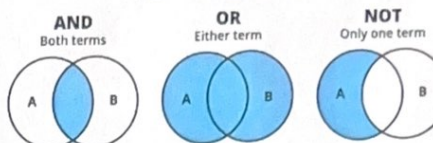
Logical addition
(disjunction)

A	B	F = A ∨ B
0	0	0
0	1	1
1	0	1
1	1	1

A	B	A ∨ B
True	True	True
True	False	True
False	True	True
False	False	False



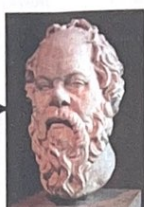
BOOLEAN LOGIC



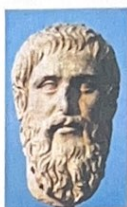
Good logic



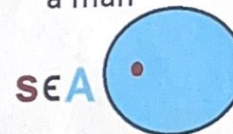
Socrates was
a philosopher



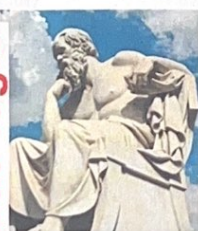
philosophers are men



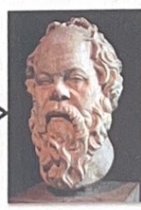
Socrates was
a man



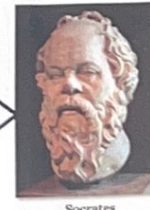
Bad logic



Socrates was
a man



philosophers are men



Socrates was
a philosopher



Научно

$$0 \leq j \leq n$$

30,40 days

0, 1... 99

let make them distinguishable
A subset of Ω is called an event
For example $A = \{T\}$

For example

a) a coin comes up tail $A = \{T\}$

b) We observe of total 9

A^c occurs if A does not occur

Union $A \cup B$ occurs if A or B occurs (on both)

Intersection: $A \cap B$
occurs if both A and B occurs

Intersection: $A \cap B$ occurs if both A and B
Set difference: $A \setminus B = A \cap B^c$ occurs if A occurs and B
doesn't occur

A and B

A and B
disjoint $A \cap B = \emptyset$ i.e. A and B cannot occur together.
The probability $P(A)$ of each A

disjoint $A \cap B = \emptyset$ i.e. A and B cannot occur together
We assign the probability $P(A)$ of each A

Simpliest case:

$$P(A) = \frac{|A|}{|U|}$$

a) $\{ \begin{matrix} |L|=2 \\ |A|=1 \end{matrix} \} = P(A) = 1/2$

b) $\left. \begin{array}{l} |A| = 1 \\ |A| = 4 \end{array} \right\} \Rightarrow P(A) = \frac{4}{36} = \frac{1}{9}$ $\Rightarrow$ question

Elementary Combinatorics:

Elementary Combinatorics:
Arrangement of distinguishable object.

Suppose we have n distinguishable objects $n = 3, 4, \dots$
ways are there to order them?

$$n = 3! = 3 \cdot 2 \cdot 1 = 6$$

Example:

There are $6!$ ways to order the letters of GALOIS
If we randomly reorder the letters what is probability
that vowels are all before consonants

$$P(A) = \frac{3}{6} \cdot \frac{3}{5} \cdot \frac{2}{4} \cdot \frac{2}{3} \cdot \frac{1}{2} \cdot 1 = \frac{1}{20}$$

$$\frac{3!3!}{6!} \text{ GALOIS}$$

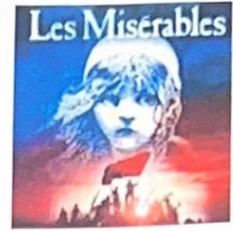
Arrangements when not all objects are indistinguishable
for many different arrangements of AAABCD ← not repeated
are repeated distinguishable

É. Galois (1811-1832) Les Misérables | Do You Hear the People Sing?

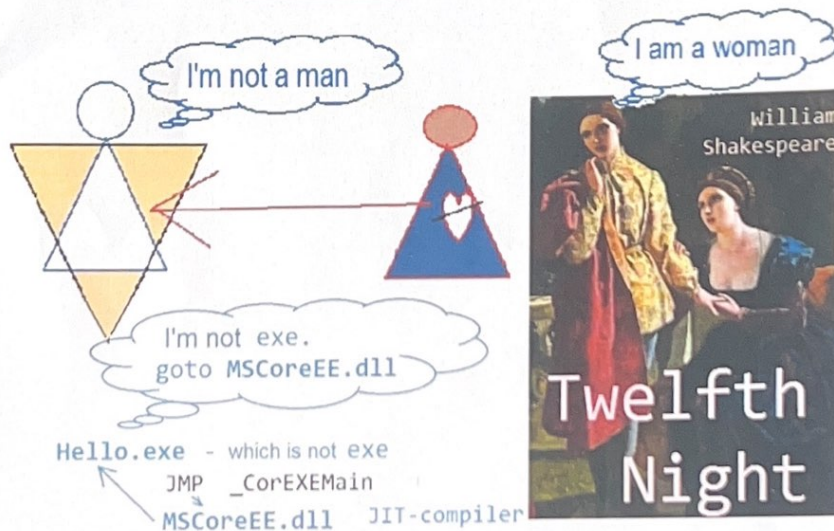
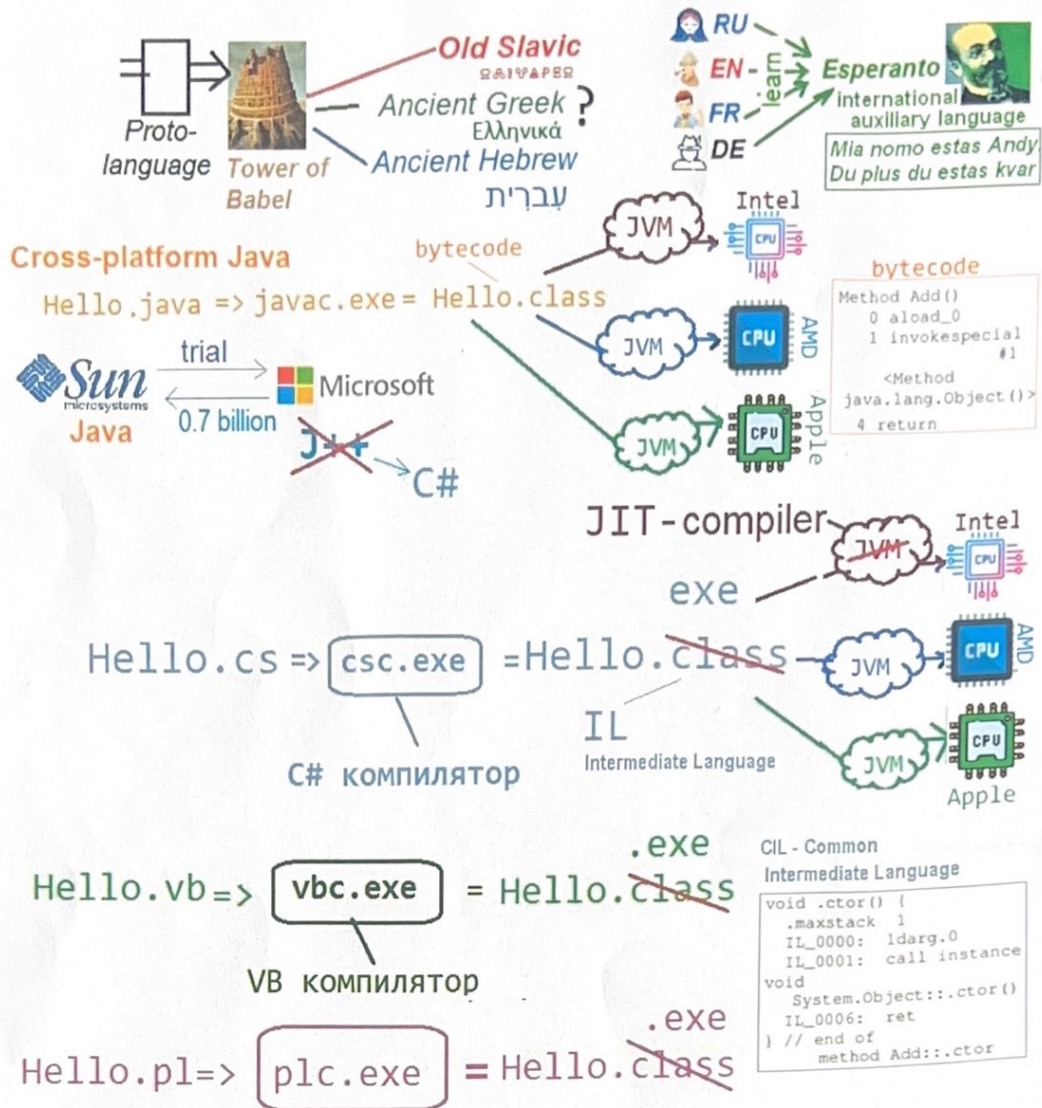


Example

There are $6!$ ways to order the letters of GALOIS. If randomly reorder the letters what is probability that the Vowels (A, O, I) are all before consonants (G, L, S)?



Hi!



$$ABBA \quad \frac{4!}{2!2!}$$

The number of arrangements of the N

$$\underbrace{x_1 \dots x_1}_{m_1}, \underbrace{x_2 \dots x_2}_{m_2}, \dots, \underbrace{x_k \dots x_k}_{m_k}$$

where $n = m_1 + m_2 + \dots + m_k$

$$\frac{n!}{m_1! m_2! \dots m_k!}$$



$$\boxed{\frac{n!}{m!(n-m)!}}$$

← binomial coefficient

$\binom{n}{m}$ Newton binomials

C_m

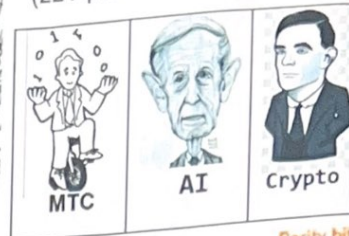
$$(1+x)^4 = 1 + 4x + 6x^2 + 4x^3 + x^4$$

$$\binom{4}{0} \quad \binom{4}{1} \quad \binom{4}{2} \quad \binom{4}{3} \quad \binom{4}{4}$$

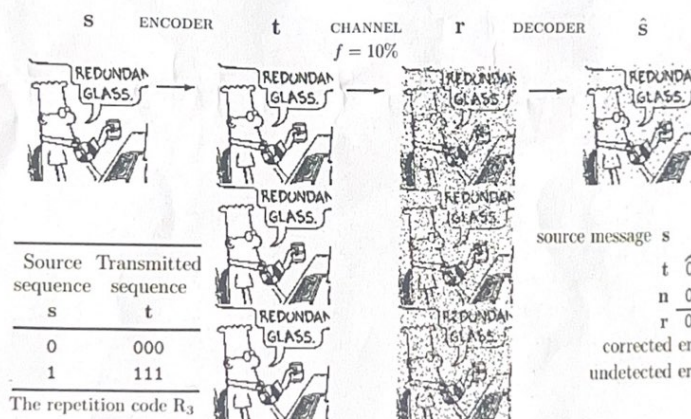
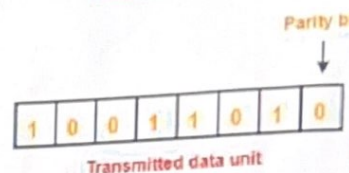
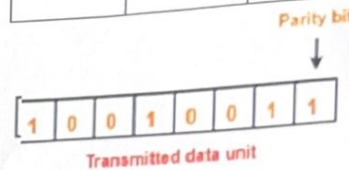
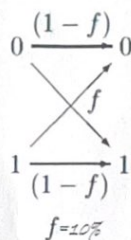
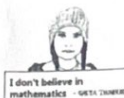
Don't
forget
x on
top



Sir Dr. D. MacKay,
University of Cambridge
(22 April 1967 – 14 April 2016)



"I believe in clean energy,
but I also believe in mathematics"



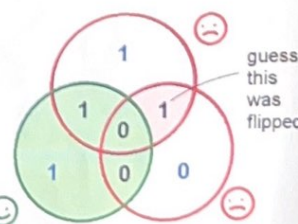
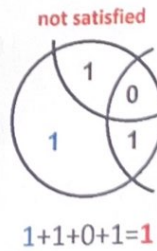
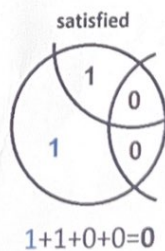
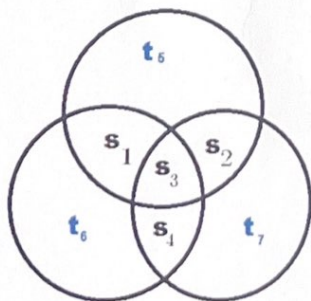
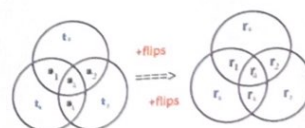
source message s	0	0	1	0	1	1	0
t	000	000	111	000	111	111	000
n	000	001	000	000	101	000	000
r	000	001	111	000	010	111	000

corrected errors *

undetected errors *

7.4. Hamming code.

$$\frac{4}{\Sigma} \rightarrow \frac{7}{t}$$





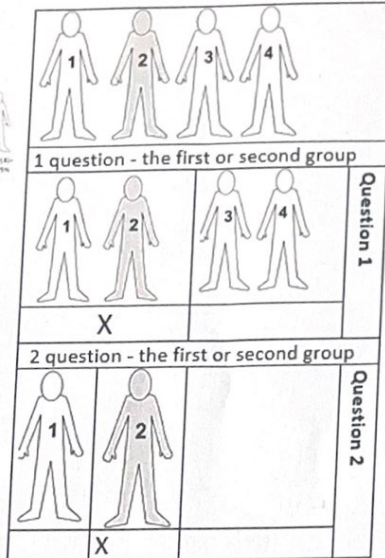
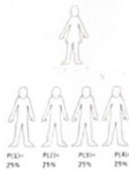
Say **NO** to the first



Say **YES** to the second if it is better than the first



Say **NO** to the third only if it is worse than all the others



Average number of questions =

$$2 \cdot 0.25 + 2 \cdot 0.25 + 2 \cdot 0.25 + 2 \cdot 0.25 = 2$$

Average number of questions =

$$1 \cdot 0.5 + 2 \cdot 0.25 + 3 \cdot 0.125 + 3 \cdot 0.125$$



Question 1. Is this Zuckerberg?	 50%	1*0.5
Question 2. Is this Sergey Brin?	 25%	2*0.25
Question 3. Is this Stefan from BMW?	 12,5%	3*0,125
So Prince Saud	 12,5%	3*0,125
Average number of questions =		1,75

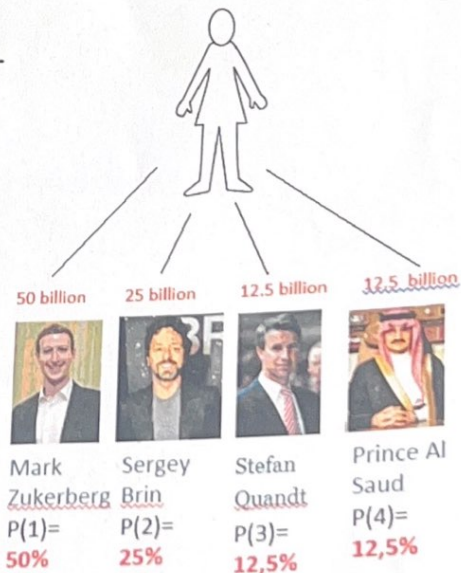
Quantifying information

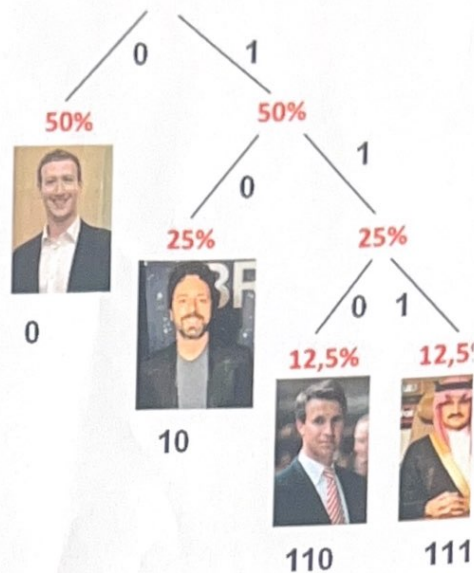
$$S(x) = \sum_{i=1}^n p(i) \log_2 \frac{1}{p(i)}$$

Quantifying information

$$I(x_i) = \log_2 \left(\frac{1}{p_i} \right)$$

number of bits required to encode choice





First-order approximation
(symbols independent but with
frequencies of Belarusian txt).

Мама мыла ра

М - 3 — 30%	1-3 М
а - 4 — 40%	4-7 а
ы - 1 — 10%	8 -ы
л - 1 — 10%	9 -л
р - 1 — 10%	10 -р

10

лла мама р



Мама мыла ра

Ма - 2 22%	1-2 ма
ам - 2 22%	3-4 ам
мы - 1 11%	5 мы
ыл - 1 11%	6 ыл
ла - 1 11%	7 ла
а р - 1 11%	8 ар
ра - 1 11%	9 ра

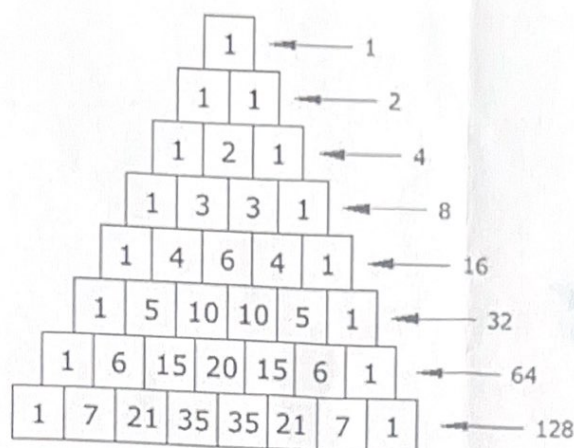
9

0. 4 6 7 3 1 9 1 6 7 3 5
 ам ыл ла ам ма ра ма ыл ла ам мы
 мылла рама

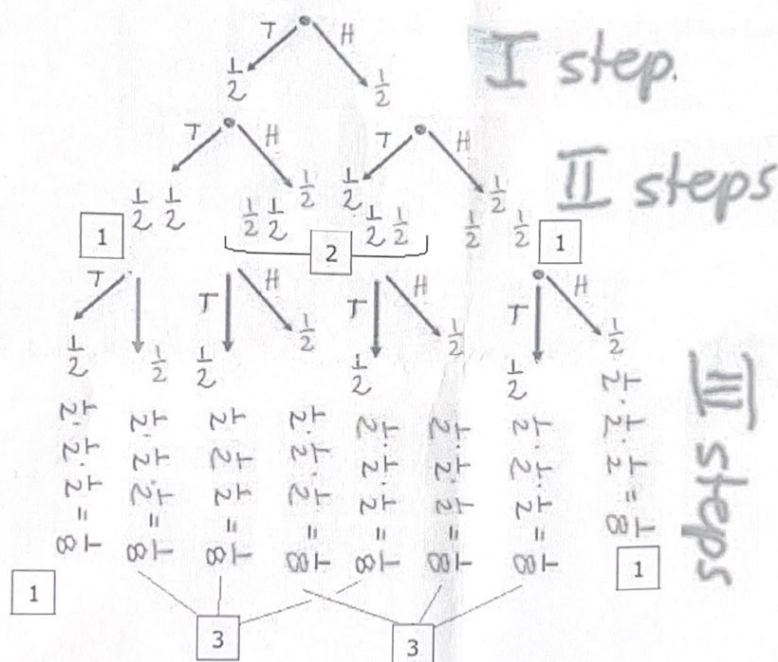


Second-order approximation (digram (2-symbols) structure as in Belarusian)

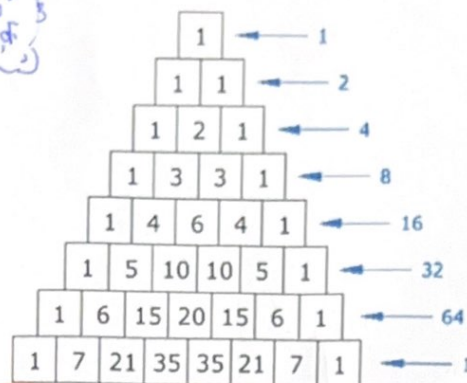
+0.1 A, B, B₂ A₂ — 4!



Pascal's triangle



$$\begin{aligned}
 (a+b)^0 &= 1 \\
 (a+b)^1 &= a+b \\
 (a+b)^2 &= a^2 + 2ab + b^2 \\
 (a+b)^3 &= a^3 + 3a^2b + 3ab^2 + b^3 \\
 (a+b)^4 &= a^4 + 4a^3b + 6a^2b^2 + 4ab^3 + b^4 \\
 (a+b)^5 &= a^5 + 5a^4b + 10a^3b^2 + 10a^2b^3 + 5ab^4 + b^5
 \end{aligned}$$



1 8 28 50 50 28 8 1
1 8 28 50 70 50 28 8 1

Shannon Hartley Theorem

This is a measure of the *capacity* on a channel; it is impossible to transmit information at a faster rate without error.

$$C = B \log_2(1 + S/N)$$

- C = capacity (in bit/s)
- B = bandwidth of channel
- S = signal power (in W)
- N = noise power (in W)

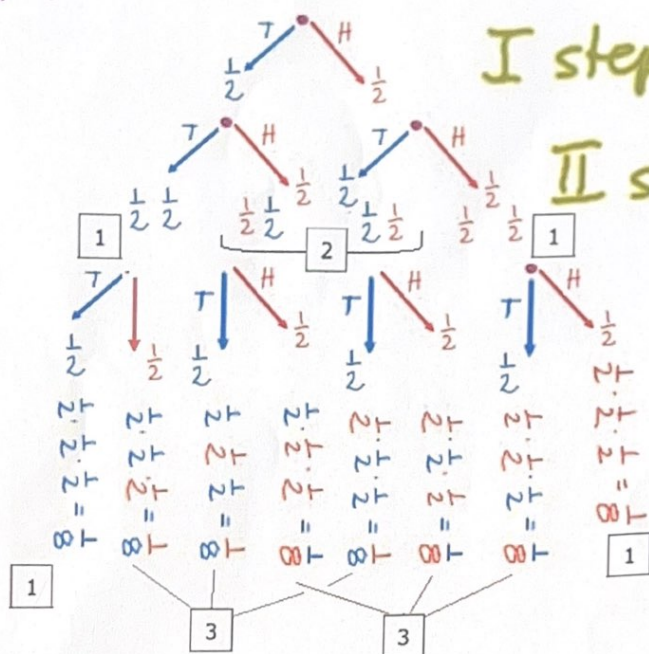
It is more usual to use SNR (in dB) instead of power ratio (as with terrestrial and commercial communications systems).
S/N >> 1, then rewriting in terms of log10.

$$C = B \frac{\log_{10}(S/N)}{\log_{10} 2} = B \frac{10 \log_{10}(S/N)}{10 \log_{10} 2} = B \frac{SNR}{3.01}$$

I step

II steps

III steps



$$(a + b)^0 =$$

1

$$(a + b)^1 =$$

a + b

$$(a + b)^2 =$$

a² + 2ab + b²

$$(a + b)^3 =$$

a³ + 3a²b + 3ab² + b³

$$(a + b)^4 =$$

a⁴ + 4a³b + 6a²b² + 4ab³ + b⁴

$$(a + b)^5 =$$

a⁵ + 5a⁴b + 10a³b² + 10a²b³ + 5ab⁴ + b⁵

$$(1+x)^5 =$$

$$= 1 + 5x + 10x^2 + 10x^3 + 5x^4 + x^5$$

$$(y+x)^8 =$$

$$y^8 + 8y^7x + 28y^6x^2 + 50y^5x^3 + 70y^4x^4 + 50y^3x^5 + 28y^2x^6 + 8yx^7 + x^8$$

$$+ 50y^3x^5 + 28y^2x^6 + 8yx^7 + x^8$$

$$0.2 \text{ to Exam}$$

pow(2, 4) = 8

What should you do in class:

0. Come up with a good name for your site.

I came up with a name for my site - Confucius (in my opinion, this is a good name)

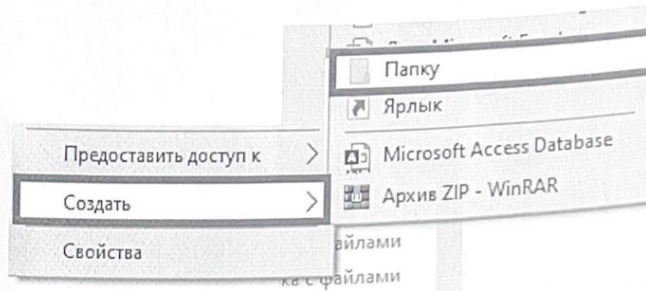
www.confucius.bsite.net

1. On a disk or on a flash drive, make a folder that matches the name of the site

www.confucius.bsite.net

Новый том (D:) >

www.confucius.bsite.net



2. In a folder **D:\www.confucius.bsite.net** create a folder for Projects

D:\www.confucius.bsite.net\Projects

3. In a folder **D:\www.confucius.bsite.net\Projects** create a folder for Projects Number 0

D:\www.confucius.bsite.net\Projects\0

4. In a folder **D:\www.confucius.bsite.net\Projects\0** create file *index.htm*

What should you do at home:
 Register free hosting on **freeasphosting.net**
 At home because many hosting services do not register from one IP address.

ASP.NET Hosting .NET 7

FREE ASP.NET Hosting
FREE Domain Hosting
FREE MS SQL Database
INCLUDES .NET Core
Full Trust Permissions

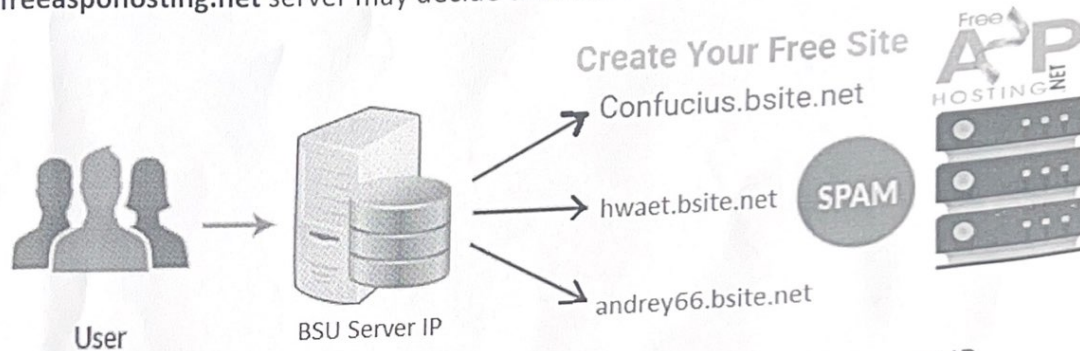
SIGN UP FOR FREE

Create Your Free Site

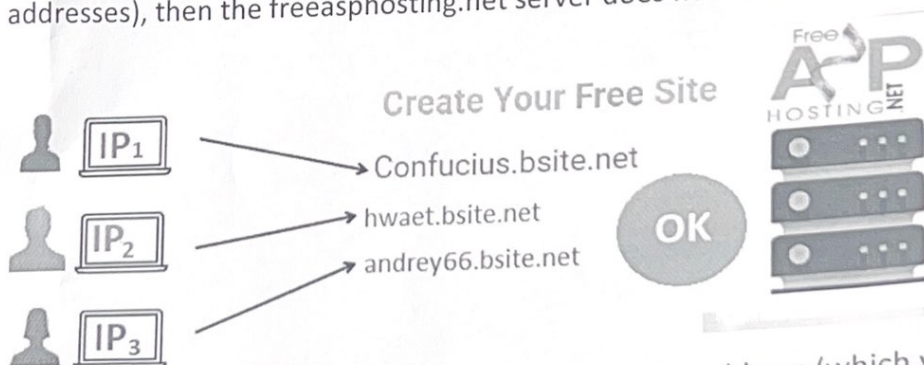
By signing up with our service you agree to our [Terms & Conditions](#).

Create Site

If several dozen hosting attempts to register from one IP address, the **freeasphosting.net** server may decide that this is a SPAMer and block it.



And if registration is carried out from different computers (with different IP addresses), then the **freeasphosting.net** server does not raise any suspicions.



After you have registered on the server, send me your address (which you received during registration) by email.

3.0.2.

Hi

www.bsite.net

Web-server

IIS (Internet information server)

Windows hosting

esperanto.bsite.net ← where located

5.164.102.56

some → confucious.bsite.net

5.164.102.56